

INDIAN SCHOOL AL WADI AL KABIR

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Unit Test Model Paper (2024-2025)											
Class: XII			Sub: MATHEMATICS (041)					Max Mark	Max Marks: 30		
Date: 20.05.2024 Time: 1 hr.							•				
General Instructions:											
1. This question paper is divided in to 4 sections- A, B, C and D.											
2. Section A comprises of 7 questions of 1 mark each.											
3. Section B comprises of 3 questions of 2 marks each.											
4. Section C comprises of 3 questions of 3 marks each.											
5. Section D comprises of 2 case study-based question.											
6. Internal choice has been provided.											
SECTION A											
Q.1.	$[1 \ 1 \ 1] [x] [6]$							1			
	If $\begin{bmatrix} 0 & 1 & 1 \\ 0 & 2 & 1 \end{bmatrix} = \begin{bmatrix} 3 \\ 2 \end{bmatrix}$, then the value of $(2x + y - z)$ is :										
	LU		2]				1				
	Α	1	В	2	С	3	D	5			
Q2.	Let R be the relation in the set N given by $R = \{(a, b) : a = b - 2, b > 6\}$, then										
	А	$(2,4) \in \mathbb{R}$	В	$(3,8) \in \mathbb{R}$	С	$(6,8) \in \mathbb{R}$	D	$(8,7) \in \mathbb{R}$			
Q3.	The value of $\tan^{-1}\sqrt{3} + \cot^{-1}\left(-\frac{1}{\sqrt{3}}\right)$ is equal to										
	А	π	В	$-\frac{\pi}{3}$	С	-π	D	$\frac{\pi}{6}$			
Q4.	sin {2	$\cos^{-1}\left(-\frac{3}{5}\right)$ is	equal	to					1		
	А	6/25	В	24/25	С	4/5	D	-24/25			
Q5.	If a matrix A is both symmetric and skew-symmetric, then										
	A	A is a diagonal matrix	В	A is a zero matrix	С	A is a scalar matrix	D	A is a square matrix			
Q6.	Let A = $\{1, 2, 3\}$ and consider the relation R = $\{(1, 1), (2, 2), (3, 3), (1, 2), (2, 3), (1, 3)\}$. Then R is										
	Α	reflexive but not symmetric	В	reflexive but not transitive	С	symmetric and transitive	D	neither symmetric, nor transitive			

Q7	In the following question a statement of assertion (A) is followed by a statement of Reason (R). Choose the correct answer out of the following choices.						
	A) Both A and R are true and R is the correct explanation of A.						
	B) Both A and R are true but R is not the correct explanation of A.						
	C) A is true but R is false.						
	D) A is false but R is true.						
	Assertion (A): If A and B are symmetric matrices then AB – BA is a skew symmetric matrix.						
	Reason (R): For a skew symmetric matrix $A = [a_{ij}], a_{ij} = 0$ if $i = j$.						
	SECTION B						
Q8.	[2 2]	2					
	Compute the indicated product: $\begin{bmatrix} 3 & -2 \\ 1 & 4 \end{bmatrix} \begin{bmatrix} 3 & -2 \\ 1 & 4 \end{bmatrix}$						
	15 31						
Q9.	A= $[a_{ij}]$ where <i>A</i> is 2X2 matrix and $a_{ij} = \frac{i^2 + 2j}{2}$, then write all elements of <i>A</i> .	2					
	Or						
	Sketch the graph of $f(x) = cos^{-1}x$, f: [-1, 1] to $[0, \pi]$						
Q10.	Prove that the relation R on the set N X N defined by (a, b) R (c, d), if $ad = bc$,	2					
	for all (a, b), (c, d) \in N X N is an equivalence relation.						
	SECTION C						
Q11.	If $A = \begin{bmatrix} 5 & 3 \\ -1 & -2 \end{bmatrix}$ then prove $A^2 - 3A - 7I = 0$	3					
Q12.	If $A = \begin{bmatrix} 1 & 3 & 3 \\ 1 & 4 & 3 \end{bmatrix} findA^{-1}$ OR	3					
	Solve using matrices: $2x \pm y \pm z = 12 \cdot 2x \pm y = 10 \cdot x = y \pm z = 0$						
	Solve using matrices. $2x + y + 2 = 13$, $2x - y = 10$; $x - y + 2 = 0$.						
Q13.	Show that the function $f(x) = \frac{x-2}{x-3}$, $f: R - \{3\}$ to $R - \{1\}$ is both one to one and onto.	3					

	SECTION D Case study-based questions								
Q14	A manufacturer produces three stationery products Pencil, Eraser and Sharpener which he sells in two markets. Annual sales are indicated below								
	Market	Pro	ducts (in nu	umbers)	THE BOOM AND				
	Market	Pencil	Eraser	Sharpener	If the unit Sale price of Pencil, Eraser				
	A	10,000	2,000	18,000	and Sharpener are ₹ 2.50, ₹1.50 and $₹ 1.00$ respectively, and unit cost of				
	В	6,000	20,000	8,000	the above three commodities are ₹ 2.00, ₹ 1.00 and ₹ 0.50 respectively, then,				
	 (i) Find the total revenue of market A. (ii) Find the total revenue of market B (iii) a)What is the cost incurred in market A Or b) Find the total profit earned in market A and B. 								
Q15	Hari visited an exhibition along with his family. The exhibition had a huge swing. Hari found that the swing traced the path of a Parabola as given by $f(x) = x^2 + 1$ Answer the following questions based on the above informations								
	 i) What is the range of f(x) = x² + 1 ii) If f(x) = x² + 1, if x ≥ 0, then find the preimage of 9. iii) a) Show that f(x) = cosx, f: R to R is neither one to one nor onto OR b) Determine whether h(x) = x² + 2x + 2, f: [0,∞)to [0,∞) is onto. If not modify the codomain so that h(x) becomes an onto function. 								

ANSWER

Q1		D	Q2		С		23	А
Q4		D	Q5		В	Q6		А
Q7		В	Q8		$\begin{bmatrix} 11 & 2 \\ 7 & 14 \\ 18 & 2 \end{bmatrix}$	Q9		$\begin{bmatrix} 3 & 5 \\ 2 & 2 \\ 3 & 4 \end{bmatrix}$
Q12 = $\begin{bmatrix} 7 & -3 & -3 \\ -1 & 1 & 0 \\ -1 & 0 & 1 \end{bmatrix}$ x = 5, y = 0, z = 3		Q14	₹46000 ₹53000 ₹31000 OR ₹32000		Q15	<i>i</i>) [1,∞) <i>ii</i>) 2√2 iii)b. [2, ,∞)		
